Package 'parody'

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| Title Parametric And Resistant Outlier DYtection | | |
|--|--|--|
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| Description routines for univariate and multivariate outlier detection with a focus on parametric methods, but support for some methods based on resistant statistics | | |
| Depends R ($>= 2.5.0$), methods, tools, utils | | |
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| R topics documented: | | |
| box.scale bushfire calout.detect mv.calout.detect shorth tcost tukeyor | | |
| Index | | |
| box.scale calibrated scaling inlier multiplier radius for various outlier detection approaches | | |
| Description calibrated scaling inlier multiplier radius for various outlier detection approaches Usage | | |

box.scale(n, alpha=0.05)

2 bushfire

Arguments

 $\mathbf{n} \hspace{1cm} \mathbf{n}$

alpha alpha

Author(s)

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Examples

box.scale(20)

bushfire

satellite data on bushfire scars

Description

satellite data on bushfire scars

Usage

data(bushfire)

Format

The format is: num [1:38, 1:5] 111 113 113 110 101 93 92 94 94 100 ...

Details

Satellite measurements on five frequency bands corresponding to each of 38 pixels.

Source

Maronna RA and Yohai VJ (1995) JASA 90:330.

Examples

```
data(bushfire)
mv.calout.detect(bushfire)
```

calout.detect 3

calout.detect

interface to modular calibrated outlier detection system

Description

Various classical and resistant outlier detection procedures are provided in which the outlier misclassification rate for Gaussian samples is fixed over a range of sample sizes.

Usage

```
 \begin{array}{l} {\rm calout.detect}(x,\, alpha=0.05,\, method=c("GESD",\, "boxplot",\, "medmad",\, \\ "shorth",\, "hybrid"),\, k=((length(x)\%\%2)\ *\ floor(length(x)/2)\ +\\ (1-(length(x)\%\%2))\ *\ (length(x)/2-1)),\, scaling,\, ftype,\, \\ location,\, scale,\, gen.region=function(x,\, location,\, scale,\, \\ scaling,\, alpha)\ \{\\ g<-\ scaling(length(x),\, alpha)\\ location(x)\ +\ c(-1,\, 1)\ *\ g\ *\ scale(x)\\ \}) \end{array}
```

Arguments

data vector, NAs not allowed

alpha

outlier mislabeling rate for Gaussian samples

method

one of c("GESD", "boxplot", "medmad", "shorth"); the first selects generalized extreme studentized deviate (Rosner, 1983); the second selects calibrated boxplot rules; the third selects the method of Hampel in which the sample median is used for location estimation, and the median absolute deviation is used for scale; and the fourth selects Rousseeuw's rule, with the midpoint of the shortest half sample used as location estimator, and the length of this shortest half sample used as scale estimator.

An important characteristic of the GESD procedure is that the critical values for outlier labeling are calibrated to preserve the overall Type I error rate of the procedure given that there will be k tests, whether or not any outliers are present in the data.

k

for GESD, the prespecified upper limit on the number of outliers suspected in the data; defaults to "half" the sample size.

scaling

for resistant methods, scaling is a sample-size dependent function that tells how many multiples of the scale estimate should be laid off on each side of the location estimate to demarcate the inlier region; see Davies and Gather (1993) for the general formulation. The main contribution of this program consists in the development of scaling functions that "calibrate" outlier detection in Gaussian samples. The scaling function is assumed to take two arguments, n and alpha, and it should return a real number.

If method=="boxplot", the default value scaling=box.scale will confine the probability of erroneous detection of one or more outliers in a pure Gaussian sample to alpha. The use of scaling=function(n,alpha) 1.5 gives the standard boxplot outlier labeling rule.

If method=="medmad", the use of scaling=hamp.scale.4 will confine the outlier mislabeling rate to alpha; whereas the use of scaling=function(n,alpha) 5.2 gives Hampel's rule (Davies and Gather, 1993, p. 790).

4 mv.calout.detect

If method=="shorth", the default value scaling=shorth.scale will confine the out-

lier mislabeling rate to alpha.

ftype The type of "fourth" calculation; the standard definition of the fourth uses 0.5

* floor((n + 3)/2) to obtain the sortile of the fourth value; Hoaglin and Iglewicz (1987) give an "ideal" definition of the fourth which reduces the dependence of boxplot-based outlier detection performance (in small samples) on the quantity

n mod 4.

location a function on a vector returning a location estimate

scale a function on a vector returning a scale estimate

gen.region a function of x, location, scale, scaling, alpha that returns the inlier region as a

2-vector

Value

a list with components ind (indices of outliers in the input vector) val (values of these components) and outlier.region, which is only defined for the resistant methods.

References

Davies and Gather (1993 JASA), Rousseeuw and Leroy (1988 Stat Neer), Rosner (1983 Technom), Hoaglin and Iglewicz (1987 JASA), Carey, Walters, Wager and Rosner (1997 Technom)

Examples

```
\begin{split} & [ \text{lead} < \text{-c} (83, \, 70, \, 62, \, 55, \, 56, \, 57, \, 57, \, 58, \, 59, \, 50, \, 51, \, 52, \, 52, \, 52, \, 54, \, 54, \, 45, \, 46, \, 48, \\ & 48, \, 49, \, 40, \, 40, \, 41, \, 42, \, 42, \, 44, \, 44, \, 35, \, 37, \, 38, \, 38, \, 34, \, 13, \, 14) \end{split} & \text{calout.detect}([\text{lead,alpha}=.05,\text{method}="\text{boxplot",ftype}="\text{ideal"}) \\ & \text{calout.detect}([\text{lead,alpha}=.05,\text{method}="\text{GESD",k}=5) \\ & \text{calout.detect}([\text{lead,alpha}=.05,\text{method}="\text{medmad",scaling}=\text{hamp.scale.3}) \\ & \text{calout.detect}([\text{lead,alpha}=.05,\text{method}="\text{shorth"}) \end{split}
```

mv.calout.detect

calibrated multivariate outlier detection

Description

interface to a parametric multivariate outlier detection algorithm

Usage

```
\begin{split} & \text{mv.calout.detect}(x,\,k = \min(\text{floor}((\text{nrow}(x) - 1)/2),\,100),\,Ci = C.\text{unstr},\\ & \text{lamfun} = \text{lams.unstr},\,\text{alpha} = 0.05,\,\text{method} = c(\text{"parametric"},\\ & \text{"rocke"},\,\text{"kosinski.raw"},\,\text{"kosinski.exch"})[1],\,\ldots) \end{split}
```

shorth 5

Arguments

x data matrix

k upper bound on number of outliers; defaults to just less than half the sample size
Ci function computing Ci, the covariance determinant ratio excluding row i. At

present, sole option is C.unstr (Caroni and Prescott 1992 Appl Stat).

lamfun function computing lambda, the critical values for Ci

alpha false outlier labeling rate

method string identifying algorithm to use

... reserved for future use

Details

bushfire is a dataset distributed by Kosinski to illustrate his method.

Value

a list with components

inds indices of outlying rows
vals values of outlying rows
k input parameter k
alpha input parameter alpha

Author(s)

VJ Carey

Examples

```
data(tcost)
mv.calout.detect(tcost)
data(bushfire)
mv.calout.detect(bushfire)
```

shorth

one-dimensional MVE (min. vol. ellipsoid)

Description

generalized length of shortest-half sample

Usage

```
shorth(x, Alpha=0.5)
```

Arguments

x data vector, no NAs

Alpha minimum fraction of data to be covered by scale estimator. if Alpha == 0.5, the

shorth is calculated

6 tcost

Value

a list, say L, with components

shorth a 2-vector with endpoints of the shortest Alpha-sample length.shorth see previous return component L\$shorth[2]-L\$shorth[1]

midpt.shorth mean(L[["shorth"]])

meanshorth mean of values in the shorth, studied by Andrews et al (1972) as a location

estimator

correction.parity.dep

correction factor to be applied to achieve approximate unbiasedness and diminish small-sample parity dependence; L["shorth"]] * L[["correction"]] is approximately unbiased for the Gaussian standard deviation, for 0 < Alpha < 1.

bias.correction.gau.5

correction factor to be applied along with correction.parity.dep when Alpha = .5; empirically derived bias correction useful for 10 < N < 2000 and possibly beyond. To use, divide: (L[["shorth"]] * L[["correction"]] / L[["bias.corr"]]) is approximately unbiased for Gaussian standard deviation, when Alpha=.5.

Alpha coverage fraction used

References

Rousseeuw and Leroy, Stat Neer (1988), Gruebel, Ann Stat (1988)

tcost

Data on milk transportation costs, from Johnson and Wichern, Applied Multivariate Statistical Analysis, 3rd edition

Description

Multivariate data on milk transportation costs

Usage

```
data(tcost)
```

Format

```
The format is: num [1:36, 1:3] 16.44 7.19 9.92 4.24 11.2 ...
- attr(*, "dimnames")=List of 2
..$: chr [1:36] "1" "2" "3" "4" ...
..$: chr [1:3] "fuel" "repair" "capital"
```

Details

Extract from Johnson and Wichern example dataset on milk transportation.

Source

Johnson and Wichern, Applied Multivariate Statistical Analysis, 3rd edition, p263

tukeyor 7

Examples

```
data(tcost)
mv.calout.detect(tcost)
```

tukeyor

calibrated outlier region based on various algorithms

Description

calibrated outlier region based on various algorithms

Usage

```
tukeyor(x, alpha=0.05, g=box.scale(length(x), alpha=alpha), ftype="ideal")\\
```

Arguments

| X | X |
|-------|-------|
| alpha | alpha |
| g | g |
| ftype | ftype |

Author(s)

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Examples

```
data(tcost)
apply(tcost, 2, tukeyor)
```

Index

```
*Topic datasets
     bushfire, 2
     tcost, 6
*Topic models
     box.scale, 1
     calout.detect, 3
     mv.calout.detect, 4
     tukeyor, 7
*Topic robust
     shorth, 5
box.scale, 1
bushfire, \frac{2}{}
{\rm calout.detect,\,3}
hamp.scale. 3\ (box.scale),\ 1
{\it hamp.scale.4 (box.scale)}, 1
hampor (tukeyor), 7
{\rm mv.calout.detect,\, 4}
rou<br/>or (tukeyor), 7
shorth, 5
shorth.scale (box.scale), 1
tcost, 6
tukeyor, 7
```